

1. Why does the relationship  $P(A) + P(B) = P(A \text{ or } B)$  work only for mutually exclusive events?

2. Timothy is asked to determine the  $P(\text{iPod or iPhone})$ . He adds the column  $P(\text{iPad}) = 30/72$  to the row  $P(\text{iPhone}) = 55/72$  and gets  $85/72$ . Because this number exceeds 1 he knows that he has done something wrong. What did he do wrong? What should the correct answer be?

	iPad	Not iPad	Total
iPhone	25	30	55
Not iPhone	5	12	17
Total	30	42	72

3. Draw and completely label a Venn Diagram for each scenario. Determine the probability requested.

a)  $P(A) = 0.45$   $P(B) = 0.56$

$P(A \text{ and } B) = 0.2$

$P(A \text{ or } B) =$  \_\_\_\_\_



b)  $P(A \text{ or } B) = 0.8$

$P(A) = 0.6$

$P(B) = 0.5$

$P(A \text{ and } B) =$  \_\_\_\_\_



4. Given that events A and B are independent, determine the probabilities. Draw and label a Venn diagram.

$P(A) = 0.3$   $P(B) = 0.7$

$P(A \text{ and } B) =$  \_\_\_\_\_

$P(A \text{ or } B) =$  \_\_\_\_\_



5. Use the two way frequency table to determine the probabilities.

a)  $P(\text{Red or Green}) =$  \_\_\_\_\_      b)  $P(\text{Yellow}) =$  \_\_\_\_\_

c)  $P(\text{Male or Green}) =$  \_\_\_\_\_      d)  $P(\text{Male}) =$  \_\_\_\_\_

e)  $P(\text{Black}) =$  \_\_\_\_\_

	Red	Green	Blue	Yellow	Total
Male	15	9	11	2	37
Female	8	12	6	7	33
Total	23	21	17	9	70

6. A 12 sided dice is rolled. Complete the sample spaces using set notation. Shade the required region in each Venn diagram and determine the requested probability.

Set A = Factors of 6 = \_\_\_\_\_

Set B = #'s greater than 9 = \_\_\_\_\_

P(A) = \_\_\_\_\_

P(B) = \_\_\_\_\_

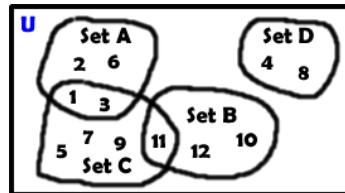
Set C = Odd Numbers = \_\_\_\_\_

Set D = {4, 8}

P(C) = \_\_\_\_\_

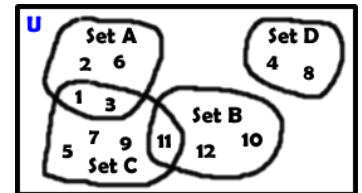
P(D) = \_\_\_\_\_

a) Shade P(A or B)



P(A or B) = \_\_\_\_\_

b) Shade P(C and D)



P(C and D) = \_\_\_\_\_

7. Given a jar of cookies with 5 chocolate chip, 3 oatmeal, and 2 peanut butter cookies in it, determine the following probabilities.

a) Getting an oatmeal cookie and then a chocolate chip cookie **without** replacement.

b) Getting two chocolate chip cookies **without** replacement.

c) Getting a peanut butter cookie or an oatmeal cookie.

P(O and CC) = \_\_\_\_\_

P(CC and CC) = \_\_\_\_\_

P(PB or O) = \_\_\_\_\_

8. Given two bags of marbles, bag #1 with 2 green, 3 red and 7 orange, and bag #2 with 5 green, 1 red and 4 orange. Determine the following probabilities.

a) Getting an orange from bag #1 and then getting a green from bag #2.

b) Getting a red from bag #1 and then getting a red from bag #1 **without** replacement.

c) Getting a green from bag #1 and then getting a green from bag #2.

P(O1 and G2) = \_\_\_\_\_

P(R1 and R1) = \_\_\_\_\_

P(G1 and G2) = \_\_\_\_\_

9. Using the marble bags in question #8, what would P(Green and Green) be if the person picked from bag #1 and then placed that marble into bag #2 and then picked from bag #2?

**10. Given a standard deck of cards. Determine the probabilities.**

a) Getting a red card and then a red card **without** replacement.

b) Getting a face card and then a 5 **without** replacement.

P(Red and Red) = \_\_\_\_\_

P(Face and 5) = \_\_\_\_\_

c) Getting a 2 and then a 2 **without** replacement.

d) Getting two black face cards **without** replacement.

P(2 and 2) = \_\_\_\_\_

P(B Face and B Face) = \_\_\_\_\_

e) Getting a red card or a black king.

f) Getting a face card or a diamond.

P(red or black king) = \_\_\_\_\_

P(face card or diamond) = \_\_\_\_\_

**11. Complete the tree diagram by writing in the probabilities for each branch and then calculating the probabilities for each possible outcome.**

Bag #1 has 2 white and 3 red marbles and bag #2 has 4 purple, 2 green and 1 orange. Pick from bag #1 keep it and then pick from bag #2.

